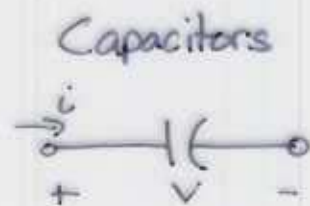
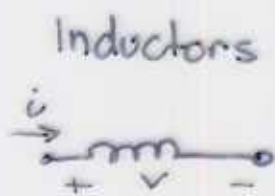


# CAPACITORS + INDUCTORS (STORAGE or MEMORY UNITS)

see Table 7.9-1 in the Text.



Voltage  $v = L di/dt$

$v = \frac{1}{C} \int_0^t i dt + v(0)$

Current  $i = \frac{1}{L} \int_0^t v dt + i(0)$

$i = C dv/dt$

Power  $= vi$   
 $p = Li di/dt$

$p = Cv dv/dt$

Energy  $w = \frac{1}{2} Li^2$

$w = \frac{1}{2} Cv^2$

Must be continuous

Current

Voltage.

May be discontinuous

Voltage

Current

Acts as a short circuit to constant current

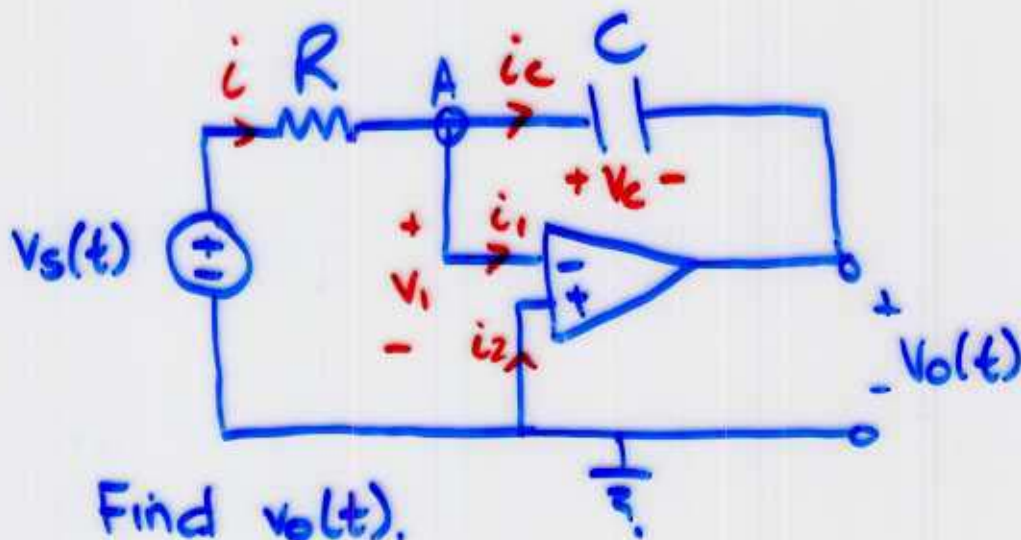
Acts as an open circuit to constant voltage

Acts as an open circuit to rapidly changing ~~currents~~ ~~voltage~~ currents.

Acts as a ~~closed~~ short circuit to rapidly changing voltage.

# OP AMPS + RC CIRCUITS

\* KVL, KCL and ideal op-amp assumptions still apply



Find  $v_o(t)$ .

KVL in source loop

$$\boxed{\phantom{V_s(t) = V_A(t) + \int_{-\infty}^t i_c(\tau) d\tau}}$$

KCL Node A

$$\boxed{\phantom{i = i_c + i_1 + i_2}}$$

output loop

$$v_o(t) = \boxed{\phantom{V_A(t) - \frac{1}{C} \int_{-\infty}^t i_c(\tau) d\tau}}$$

$$= V_A(t) - \frac{1}{C} \int_{-\infty}^t i_c(\tau) d\tau$$

Ideal op amp.

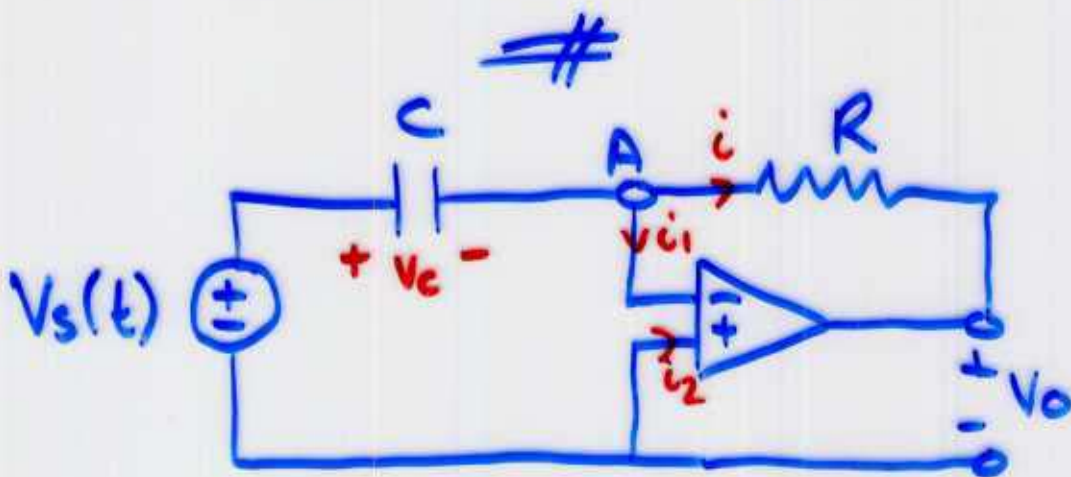
$$i_1 = i_2 = 0.$$

$$V_1 = 0 \Rightarrow V_A = 0$$

$$\Rightarrow i_c(t) = \frac{V_s(t)}{R}$$

$$\begin{aligned} \Rightarrow V_o(t) &= -\frac{1}{C} \int_{-\infty}^t \frac{V_s(\tau)}{R} d\tau \\ &= -\frac{1}{RC} \left( \int_0^t V_s(\tau) d\tau \right) + V_o(0) \end{aligned}$$

$\Rightarrow$  Circuit is an integrator



From ideal op amp,  $V_A(t) = 0$ ,  $i_1 = i_2 = 0$

$$V_s(t) = V_c(t) + V_A(t) = V_c(t)$$

KCL node A

KVL output loop



Hence

$$\begin{aligned} \text{Volt} &= -iR. \\ &= -CR \, dv_s(t)/dt \end{aligned}$$

⇒ Circuit is a differentiator.

How will a differentiator perform in the presence of noise?

Ans: generally not very well, because small noisy signals can change rapidly