

Lecture 25

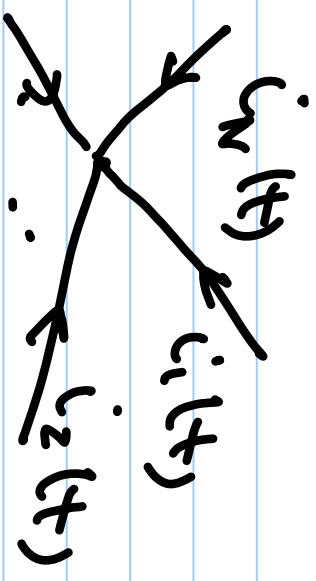
From Sections 8.7, 8.8 of text

Solve E8.12 - E8.15, 8.37, 8.40,

8.43, 8.46, 8.49, 8.52, 8.54, 8.72,
8.87, 8.90

KCL for phasors

$$i_1(t) + i_2(t) + \dots + i_N(t) = 0$$



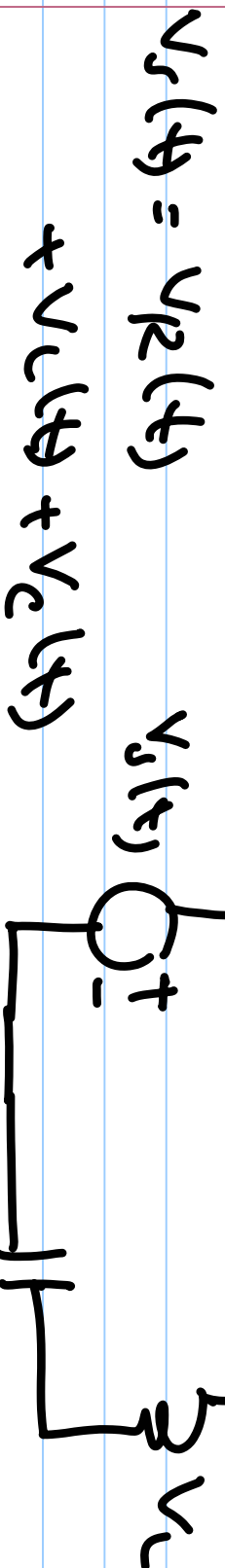
$$\operatorname{Re}(\bar{I}_1 e^{j\omega t}) + \operatorname{Re}(\bar{I}_2 e^{j\omega t}) + \dots + \operatorname{Re}(\bar{I}_N e^{j\omega t}) = 0$$

which implies that

$$\bar{I}_1 e^{j\omega t} + \bar{I}_2 e^{j\omega t} + \dots + \bar{I}_N e^{j\omega t} = 0$$

$$\Rightarrow \bar{I}_1 + \bar{I}_2 + \dots + \bar{I}_N = 0$$

KVL for phasors



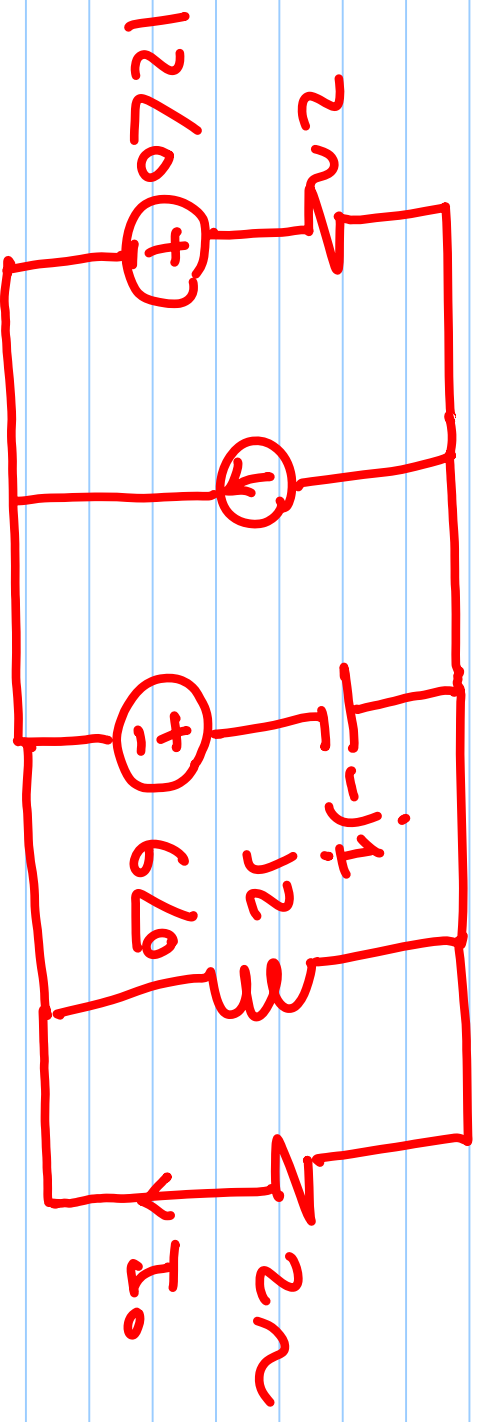
$$\operatorname{Re}(\bar{V}_s e^{j\omega t}) = \operatorname{Re}(\bar{V}_R e^{j\omega t}) + \operatorname{Re}(\bar{V}_C e^{j\omega t})$$

which implies that $\operatorname{Re}(\bar{V}_C e^{j\omega t})$

$$\bar{V}_s e^{j\omega t} = \bar{V}_R e^{j\omega t} + \bar{V}_C e^{j\omega t} + \bar{V}_L e^{j\omega t}$$

$$\Rightarrow \bar{V}_s = \bar{V}_R + \bar{V}_C + \bar{V}_L$$

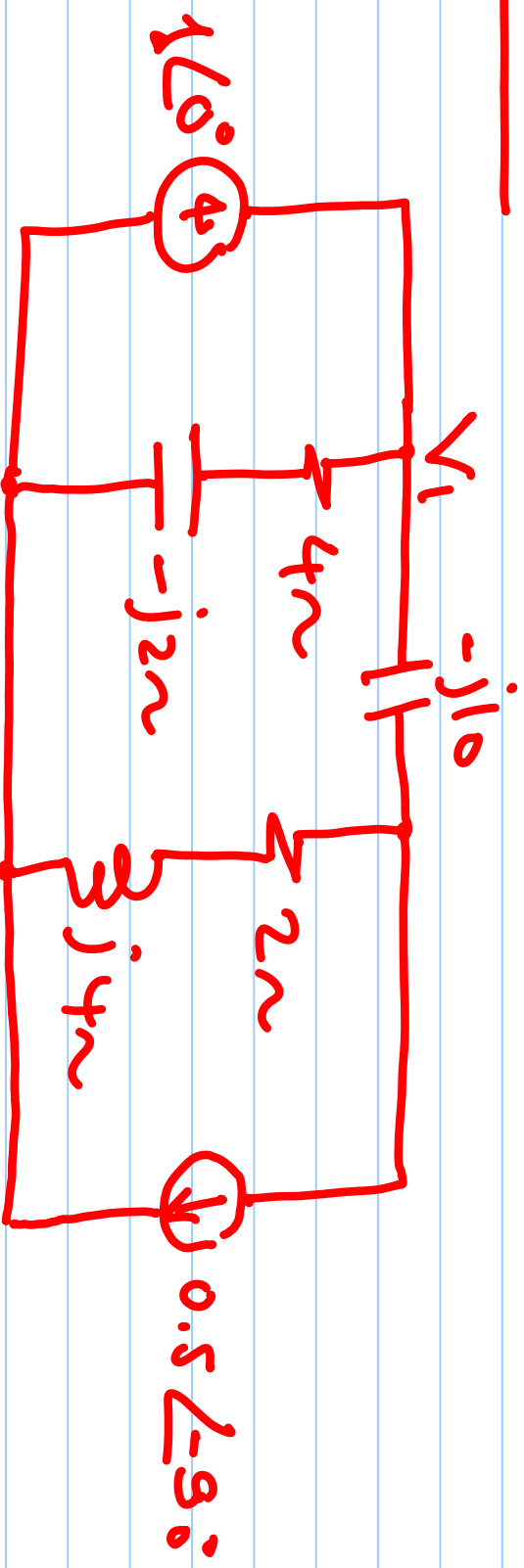
Example



Find the Current I_0 Using Nodal

Analysis. Verify your answer Using
Superposition.

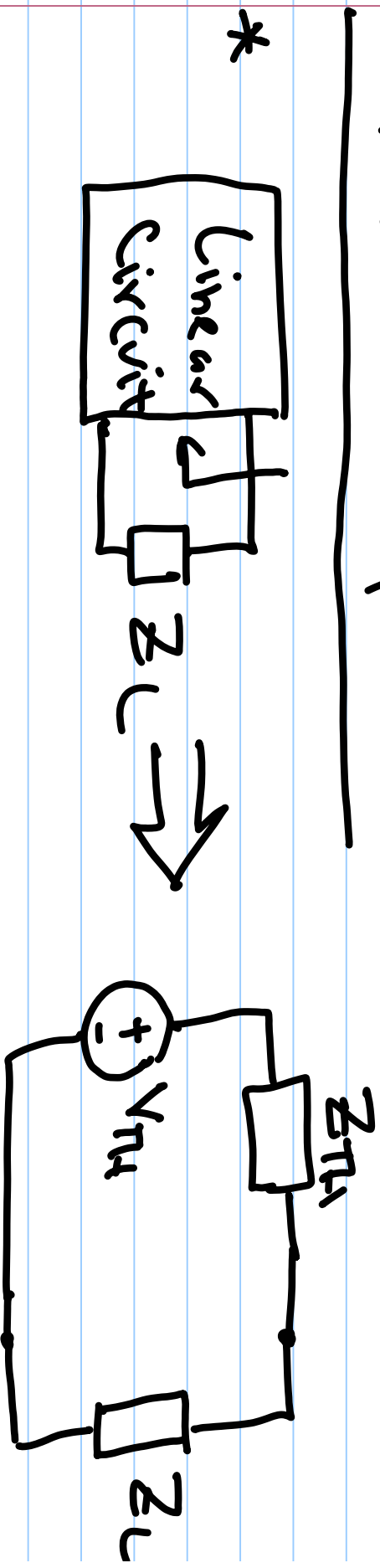
Example



Determine V_1 using superposition.

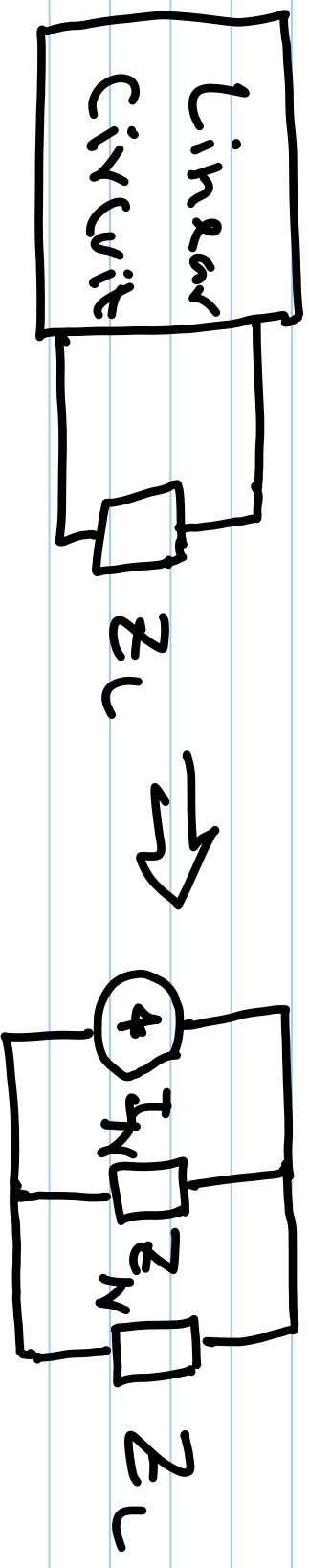
Verify your answer using loop analysis.

Theremin's Equivalent



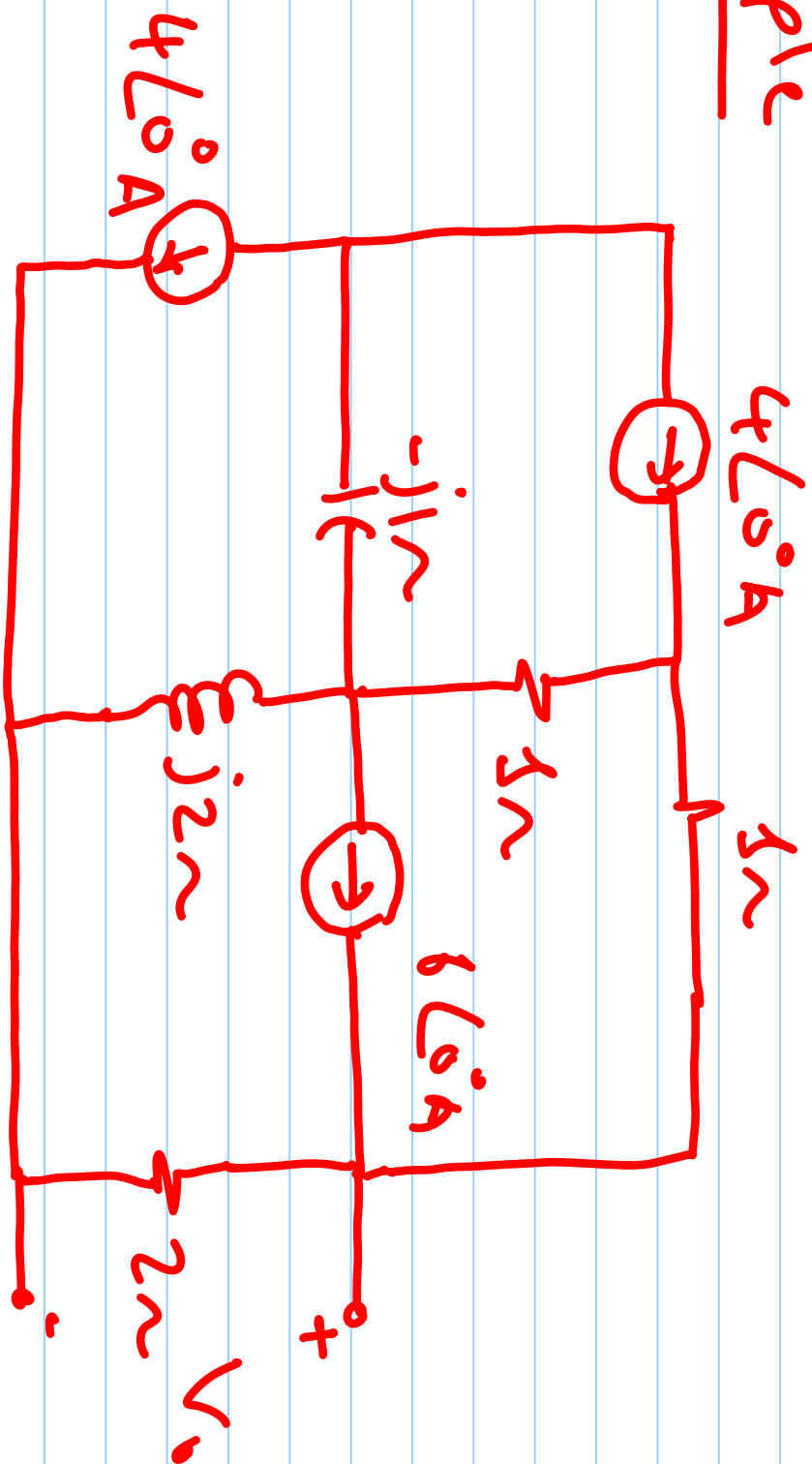
- * Any linear network can be replaced by complex Thevenin's for AC Analysis
- * Note that V_{TH} & Z_{TH} are complex quantities

Norton Equivalent



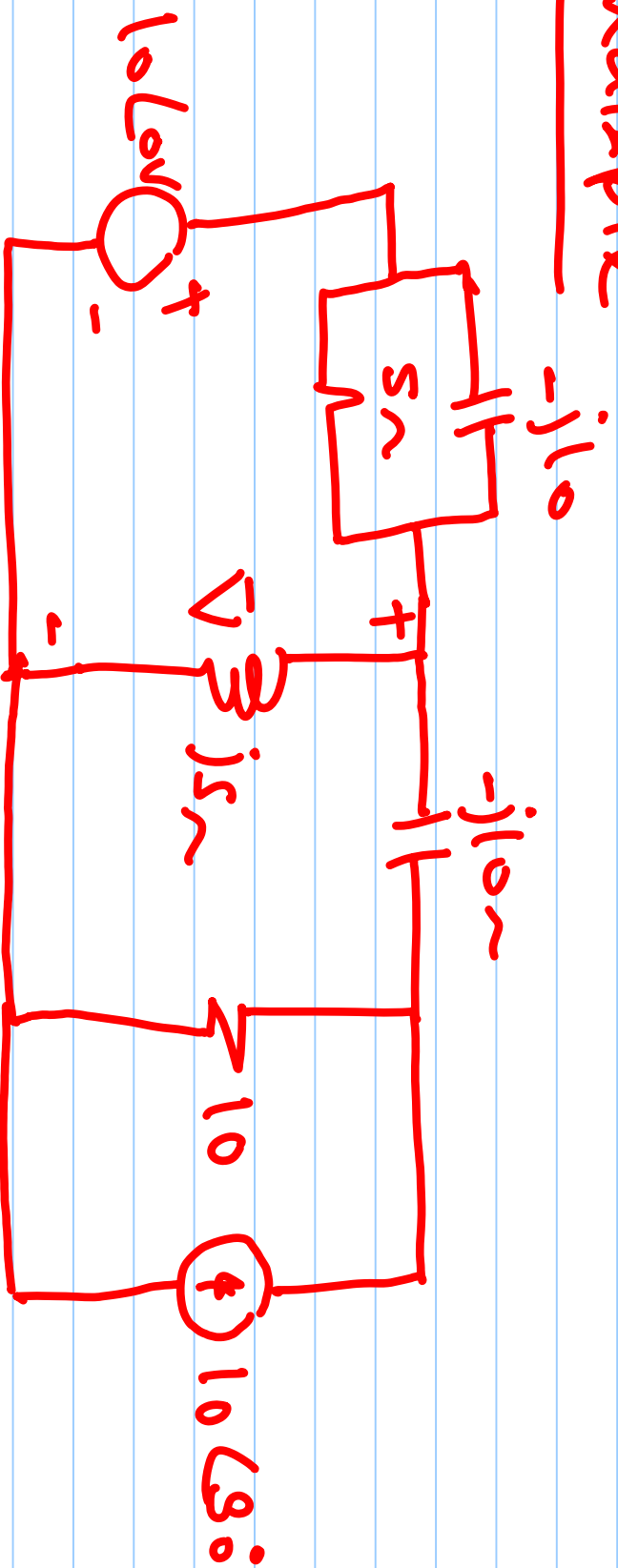
* Notice that I_N and Z_N are complex quantities

Example



Find V_o using Thevenin's theorem.

Example



The shown circuit operator at 1MHz .

Find $v(t)$ using Norton's Theorem.