

# Lecture 1

from Sections 1.1, 1.2, 2.1

Solve E1.1, E1.2, E1.3, E1.4, 1.11,  
1.15, 1.26, 1.29  
E2.1, E2.2, 2.1, 2.4, 2.5, 2.6, 2.8

## Some Basic Concepts

\* System of units:

$$\text{milli}(\text{m}) = 10^{-3}, \text{ micro}(\mu\text{m}) = 10^{-6},$$

$$\text{nano}(\text{n}) = 10^{-9}, \text{ pico}(\text{p}) = 10^{-12}$$

$$\text{kilo}(\text{k}) = 10^3, \text{ Mega}(\text{M}) = 10^6$$

$$\text{Giga}(\text{G}) = 10^9$$

example:  $R = 5.0 \text{ M}\Omega = 5.0 \times 10^6 \Omega$

$$F = 10 \text{ GHz} = 10 * 10^9 \text{ Hz}$$

## Basic Concepts (Cont'd)

\* movement of charges create electric current  $i = \frac{dq}{dt}$

\* Example: a charge of 0.02 C passes through a cross section in 1.0 ms. The current is  
 $i = \frac{dq}{dt} \approx \frac{\Delta q}{\Delta t} = \frac{0.02}{1.0 \times 10^{-3}} = 20 \text{ A}$

## Direct and Alternating Signals

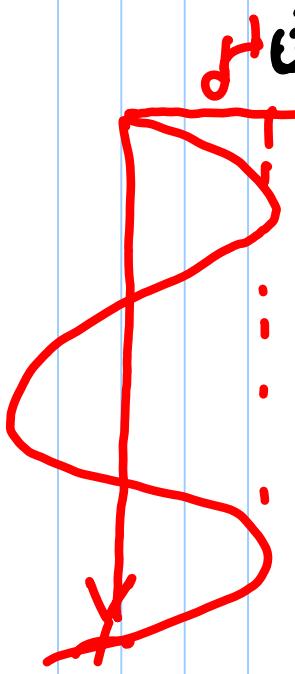
\* Direct current signals  
Do not change with time.



DC Current

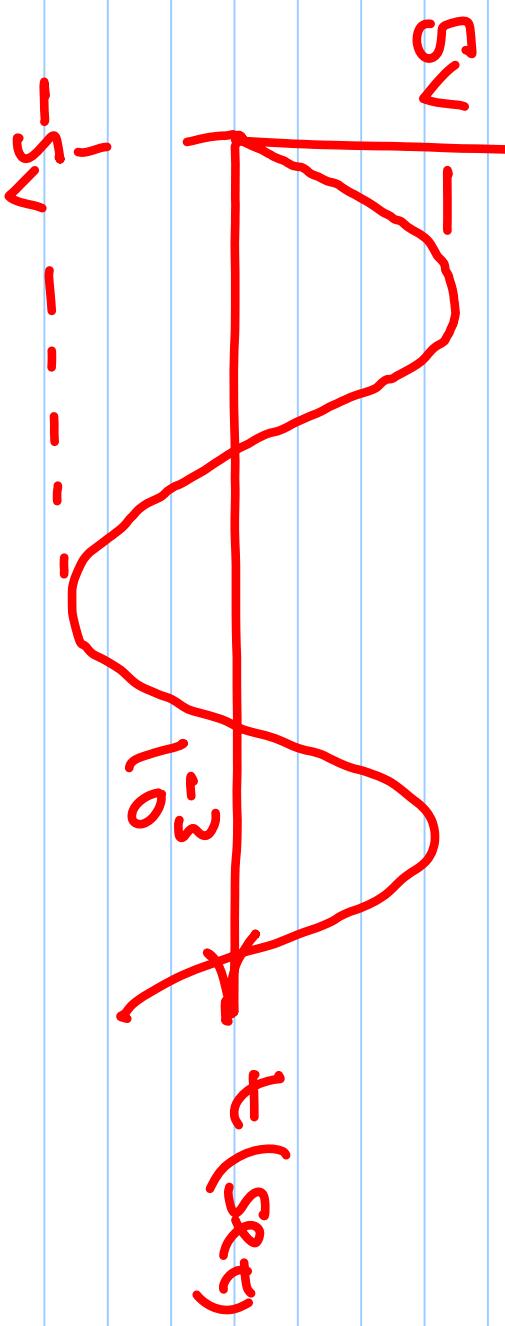
\* Alternating current (AC)

Signals change sinusoidally with time



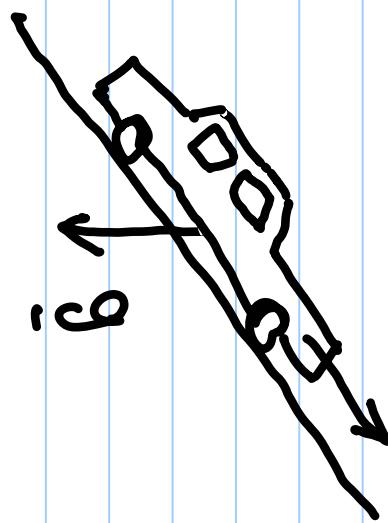
Example:

$$v(t)$$



Write the mathematical expression for the shown AC Voltage.

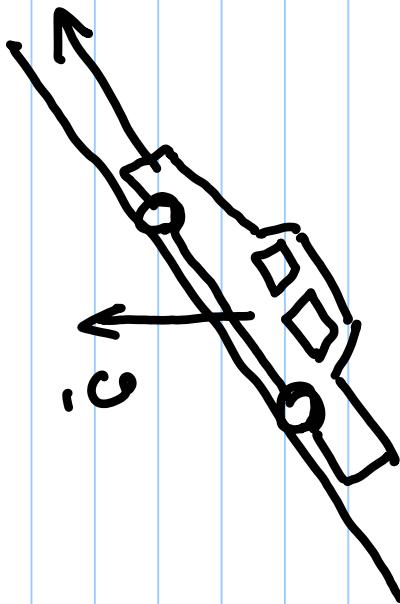
Voltage



moving **against**

Gravity field →

energy increases



moving **with** Gravity

field → energy

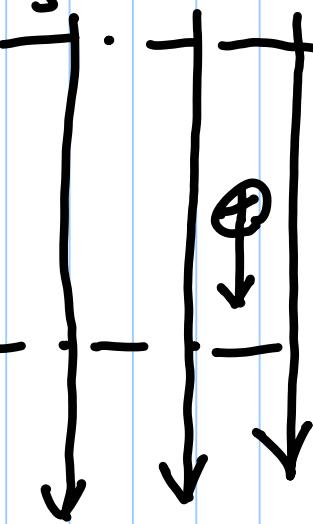
decreases

## Voltage (Cont'd)

$$E^V$$

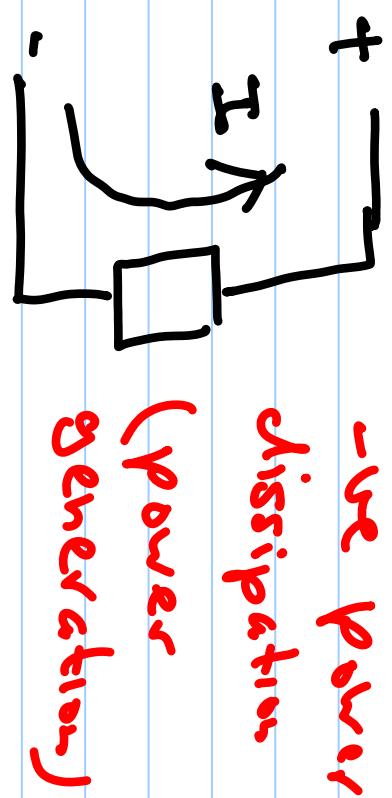
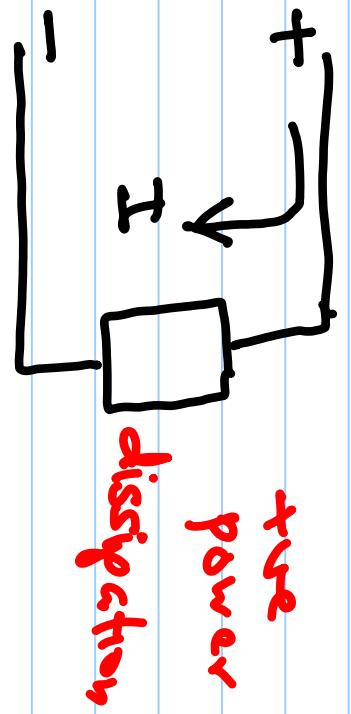
$$\frac{V_2}{V_1}$$

$$V_1 > V_2$$



- \* Electric field moves the charges in its direction.
- \* Moving **against** the electric field **increases** the energy of the charge.
- \* The voltage difference between two points is the work done in moving a unit charge between the two points.

## Power Concepts

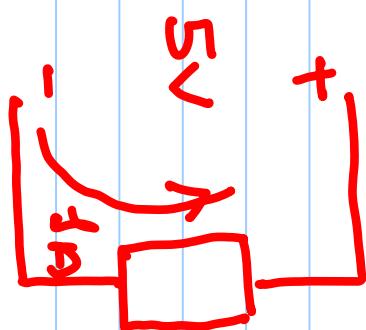
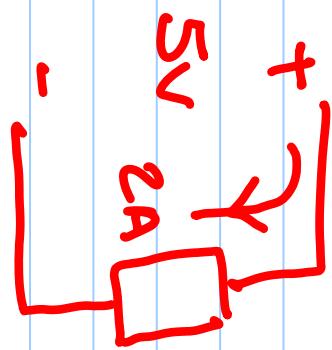


\* positive charges move from high potential to low potential  $\rightarrow$  They lose energy

\* positive charges move from low potential to high potential  $\rightarrow$  They gain energy

## Example

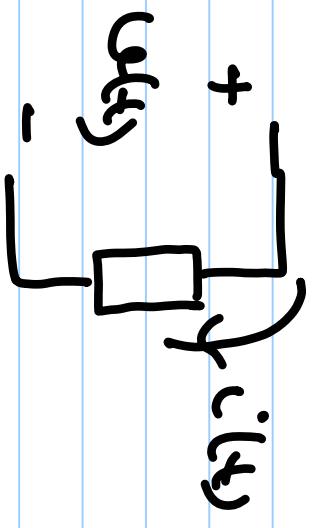
Find the dissipated power in the shown two caser



## Some Power Concepts

\* Instantaneous dissipated power +

$$P(t) = v(t)i(t)$$

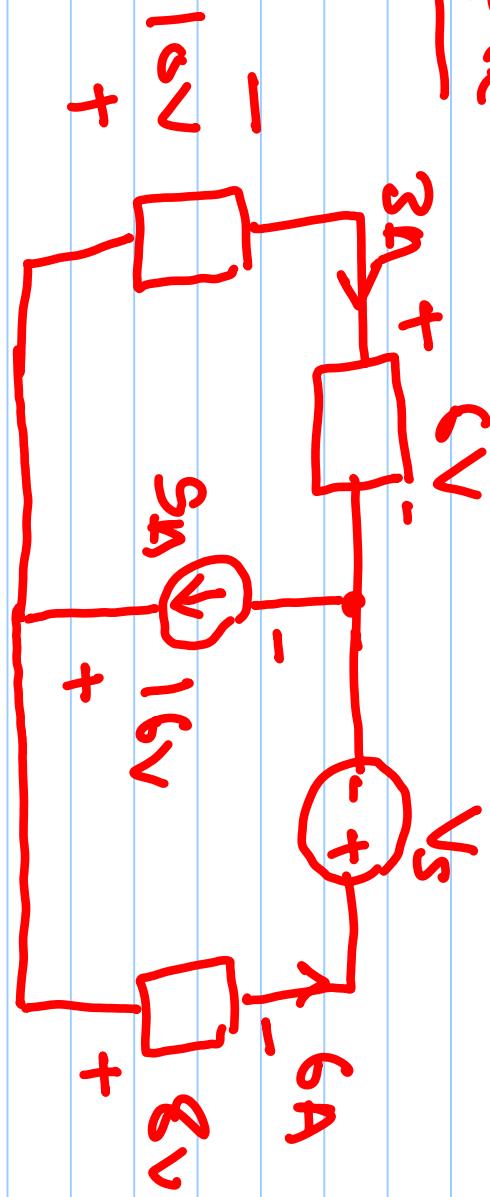


\* Average power

$$P_{av} = \frac{1}{T} \int_0^T P(t) dt$$

where  $T$  is a chosen period of time

## Example



Is the source  $V_s$  absorbing or supplying energy and how much?

## Ohm's Law

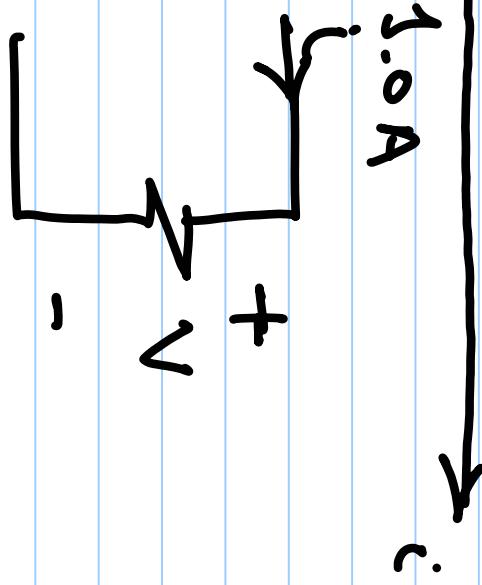
\* For a linear resistor

$$V = iR$$

$$\downarrow \quad i = \frac{V}{R} = GV$$

where G is Conductance  
in Siemens

$$* \text{ Power } P = Vi = \frac{V^2}{R} = i^2 R$$



$$R$$

R

1.0A

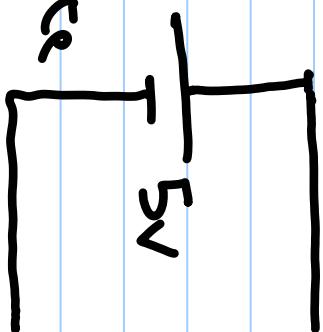
i.

V

## Special Cases

$$\rightarrow i = 0 \text{ A}$$

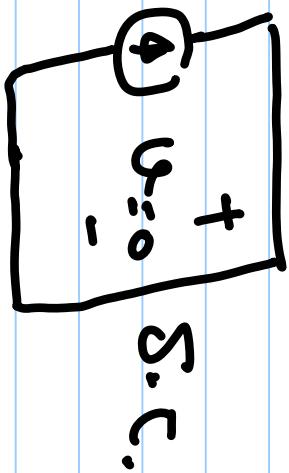
\* Open circuit is  
an infinite resistance



$\rightarrow i = 0$  regardless of  $V$

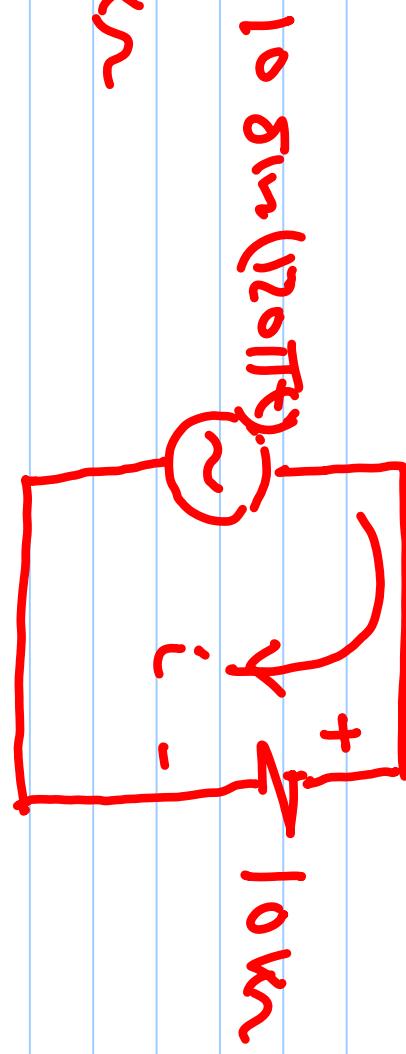
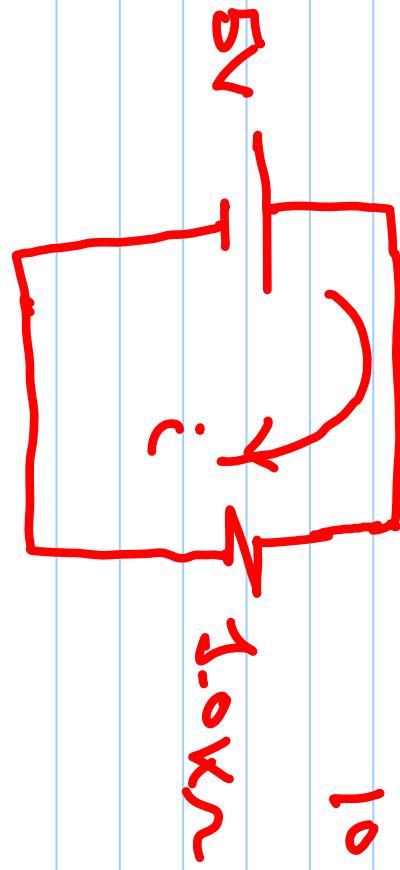
\* Short circuit is

zero resistance



$\rightarrow V = 0$  regardless of  $i$

Example



Find the current  $i(t)$ , the instantaneous power  $p(t)$  and the average power  $P_{av}$