

# ELECTRIC CIRCUIT FUNDAMENTALS

## CIRCUIT EXAMPLES

MILL + PUMP : Transfer of energy by movement of mass

PICKUP + DROP BALL

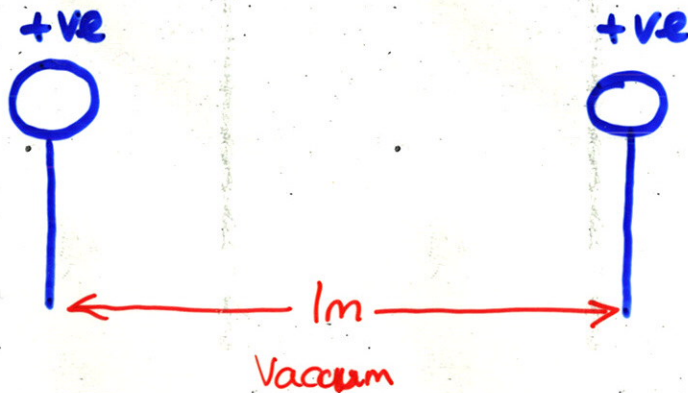
## ELECTRIC CIRCUITS

Transfer of energy by movement of charge

⇒ charge is a fundamental quantity

- electrical property of matter
- two values - positive or negative
- like charges repel, unlike charges attract
- How should we quantify charge?
  - In a measurable way?
  - Measure the force

SI Unit of charge: Coulomb



Measure repulsive force

1 C charge  $\leftrightarrow$   $10^{-7} \text{ C}^2$  Newtons

How big is that force?

Charge on an electron  $\sim -1.6 \times 10^{-19} \text{ C}$

$\Rightarrow -1 \text{ Coulomb} \sim 6 \times 10^{18} \text{ electrons}$



## MOVEMENT OF CHARGE

Conductors - allow movement of charge.

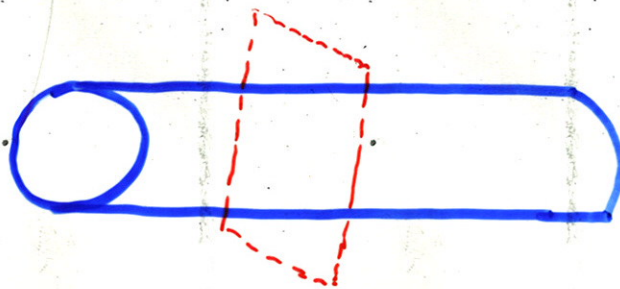
- metals, carbon, acids

Insulators - inhibit movement of charge

- dry air, glass, ceramic, plastic

# CURRENT

- how we measure movement of charge.



- current: amount of charge passing through a surface area per unit time
- In this course: surface area = cross section of wire (most of the time)

$$i(t) = \frac{dq(t)}{dt}$$

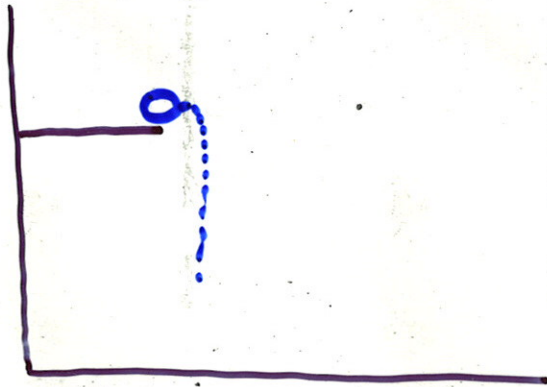
where  $q(t) = \text{charge}$

- Is that definition complete?
- No! Need a direction (recall speed vs velocity)
- CONVENTION
  - Note that formula implies flow of positive charge
  - important in some applications, but in most circuits in this course ~~current~~ charge carried by electrons



# VOLTAGE

## GRAVITATIONAL EXAMPLE



$$\text{energy just before impact} = \frac{1}{2} mv^2$$

= potential energy lost

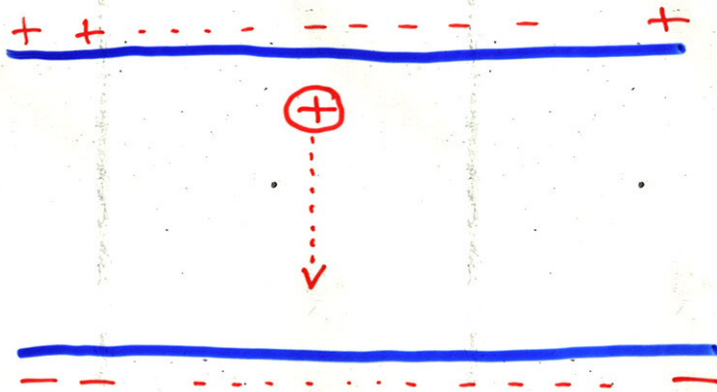
= (grav. force on ball)  
× (diff in elevation)

$$\Rightarrow \text{diff in elevation} = \frac{\text{energy converted}}{\text{weight}}$$

Also ~~energy~~ to lift back up

$$\text{energy required} = \text{diff in elevation} \times \text{weight}$$

What happens in an electric field?



$$\text{diff. in potential} = \frac{\text{energy converted}}{\text{charge}}$$

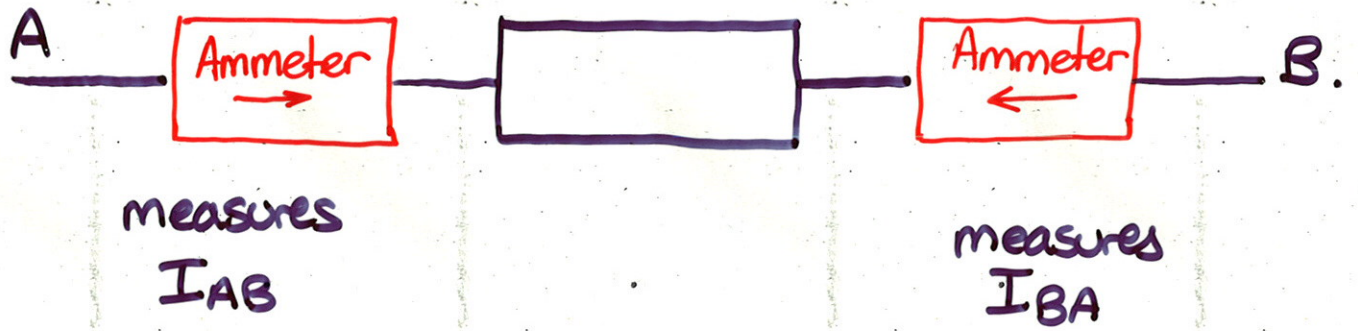
or to push charge up

$$\text{energy required} = (\text{potential diff}) \times \text{charge}$$

This potential difference called voltage







$I_{AB}$  rate of flow of positive charge from A to B

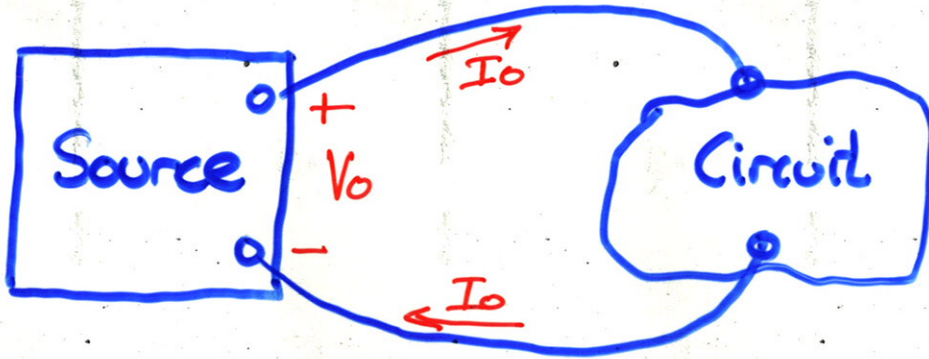
$I_{BA}$  .. .. - .. .. B to A

$$I_{BA} = -I_{AB}$$



# POWER

Power - rate of change of work (energy) per unit time



$V_0, I_0$  constant

What is the power in the circuit?

Consider a time interval  $T$   
How much charge moves?

$$I_0 T$$

What is the drop in potential?

$$V_0$$

Remember: potential diff =  $\frac{\text{energy converted}}{\text{charge}}$

$$\Rightarrow \text{Energy} = V_0 \times I_0 T$$

$$\text{Power} = \frac{\text{Energy}}{T} = V_0 I_0$$



## CONSERVATION OF POWER.

(A) Sum of all power dissipated = 0

(B) Sum of dissipated power  
= Sum of generated power

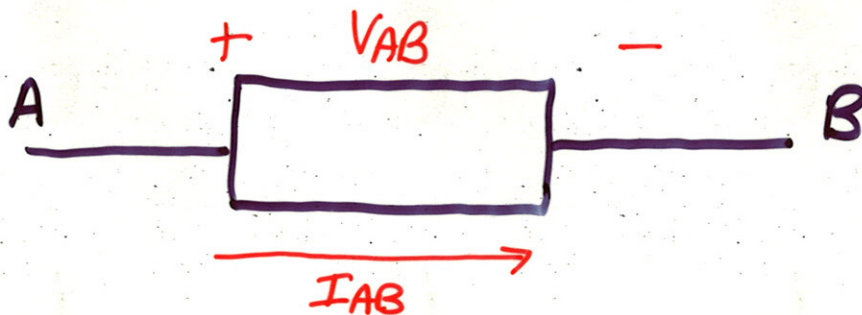
- But what if we don't know what is generating power and what is dissipating/absorbing power
- e.g., rechargeable battery; car battery.

# PASSIVE SIGN CONVENTION

We need a convention to help us be consistent

Power dissipated/absorbed is positive

- How can we get this right in a consistent way



- My recommendation

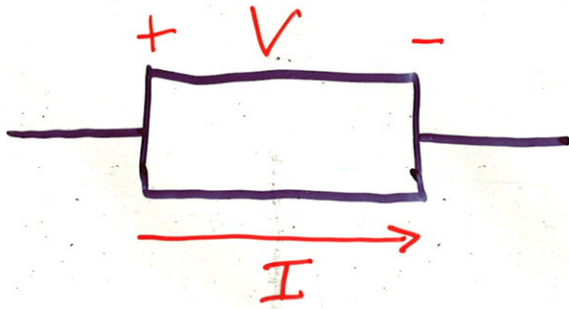
- always put "+" and tail together  
"-" and head together

- Then

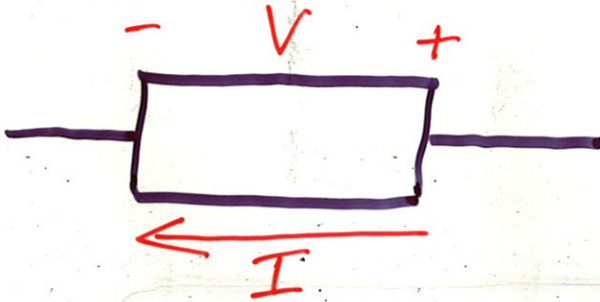
$$P = VI = V_{AB} I_{AB}$$

obeys passive sign convention

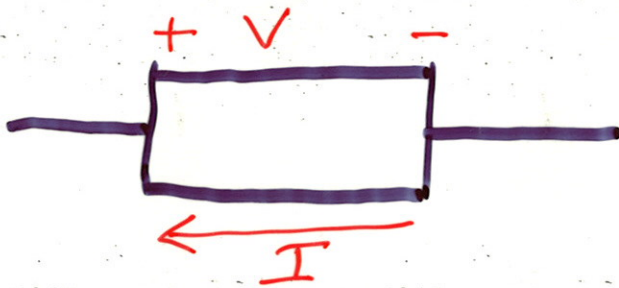




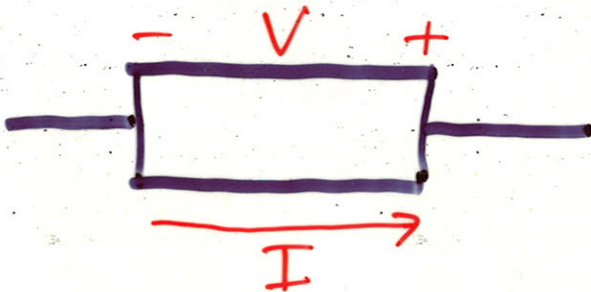
~~VI = power dissipated~~  
 $VI = \text{power dissipated}$



$VI = \text{power dissipated}$



$VI = \text{power generated}$   
(use with care)



$VI = \text{power generated}$   
(use with care)